A
(1) The man (why) hez saw ty
. r17
[who 1 he 2 saw f_1] = $\int_{-\infty}^{\infty} \frac{1}{x^{1/2}} \left[\frac{1}{x^{1/2}} \right] \frac{1}{x^{1/2}} \left[\frac{1}{x^{1/2}} \right] \frac{1}{x^{1/2}} = \frac{1}{x^{1/2}} \left[\frac{1}{x^{1/2}} \right] \left[\frac{1}{x^{1/2}} \right] \frac{1}{x^{1/2}} \int_{-\infty}^{\infty} \frac{1}{x^{1/2}} \frac{1}{x^{1/2}} \frac{1}{x^{1/2}} \frac{1}{x^{1/2}} \int_{-\infty}^{\infty} \frac{1}{x^{1/2}} \frac{1}{x^{1/2}$
= lx [squ to] ([heil) hu to
$= \lambda \times \left(\left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] \right) / \left(\left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] / \left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] / \left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] / \left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] / \left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] / \left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] / \left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] / \left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] / \left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] / \left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] / \left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] / \left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] / \left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] / \left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] / \left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] / \left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] / \left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] / \left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] / \left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] / \left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] / \left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] / \left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] / \left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] / \left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] / \left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] / \left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] / \left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] / \left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] / \left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] / \left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] / \left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] / \left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] / \left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] / \left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] / \left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] / \left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] / \left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] / \left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] / \left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] / \left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] / \left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] / \left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] / \left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] / \left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] / \left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] / \left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] / \left[\frac{\cos \alpha \times 10^{-10}}{\cos \alpha \times 10^{-10}} \right] / \left[\cos \alpha \times 10$
= \x. [[saw] ([2-5]) (1)) ((2->3) [2" (2)] by PTR xZ
= \x. [saw] (x) ((2-) 1/4) by function simplification x2.
= /x. (/x. /2.2 sowy) (x) (6+189) by Loxicon
1x. [12. 2 saw x] (3) by 1-reduction, Function simplification
= lx. J saw x by l-reduction
(2) The mon (wh2) her saw to
G 3347 G 3[X12]
[who $z \mapsto x_2$ saw $+z = \lambda_x$ [hez saw $+z$] by PA = λ_x [saw $+z$] [hez] = λ_x [saw $+z$] [saw] ([hez]) by FA = λ_x [saw] ([+z]) ([hez]) by FA and $\alpha \cdot i$, of "saw" = λ_x [saw] ($\sum_{i=1}^{n} x_i = x_i$) ($\sum_{i=1}^{n} x_i = x_i$) by FA and $\sum_{i=1}^{n} x_i = x_i$
$= \lambda_{x} \left[s_{\alpha w} + \frac{1}{4} \right]^{(x/2)} \left(\left[h_{\alpha}^{\alpha \beta} \right]^{(x/2)} \right) $
= $\lambda x \left(\left[\frac{c_{2}}{4} \right] \left(\left[\frac{c_{2}}{4} \right] \right) \right) \left(\left[\frac{c_{2}}{4} \right] \right) $ f A and a.i. of "saw".
= 1x. [saw] (x) (x) by function simplification x1
= lx. [lx lz. 2 souy] (x) (x) by traicon
- lx. [12. 2 saw] Gb by 1-reduction
= lx. X saw X by 1-novetion
,

your answer provide,	uses end up denoting the sa one or two definite description 1) and (2) that you predict be	ons that is/are equivalent t	to the extension/extension	ons
•	ent predicates. (1) denotes s	omething like "the man Jo	ohn saw" while (2) denot	es
RC in (2) predicts TCs	tence The man (wh) he saw that may correspond to an a king/interpretation? (Think of	actual interpretation of thi		
Syntax blocks this in	RC in (2) does not predict 1	er occurs when a wh-elen	nent moves across a pro	nominal (he here)
	t. In this configuration, if the tical, because of a Condition			
	e indexing in (1). Does this ir The man he saw is tired? (Th			
No, not necessar	ly. If X is accidentally John h	imself, we can have TCs	derived with (2).	
Can you think o	contexts where one could a	accept the reading predict	ed by (1)?	
	ellar, there is a man who is e			